

Miller Op-Amp that is fully differential and has improved large- and small-signal figures of merit

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Abstract: We introduce a fully differential, very power-efficient Miller op-amp with precisely controlled output quiescent current. Due to the auxiliary amplifier's presence, the op-amp may drive both capacitive and resistive loads. The proposed op-amp operates in class AB thanks to the assistance of this amplifier. Compact and utilising a resistive local common-mode feedback network, the fully differential auxiliary amplifier. It only uses 6% of the op-total amp's current. The proposed op-amp has a number of novel characteristics. Incorporating the auxiliary amplifier helps to improve the unity gain frequency, power efficiency, slew-rate, and common-mode rejection ratio of the proposed op-amp. It can drive a wide range of resistive (200 Ω –1 M Ω) and capacitive loads (5 pF–300 pF). The op-amp has a large signal dynamic current efficiency of 8.6 and a large signal static current efficiency of 7.9. The small-signal figure of merit is 8.7 for $R_L = 1$ M Ω and 7.3 for $R_L = 200$ Ω .

Keywords: analog integrated circuit; class-AB; fully differential; miller effect; slew-rate

1. Introduction

Fully differential signal processing is a wise choice to maintain signal integrity in high-speed data acquisition systems such as communications, imaging, instrumentation, and video applications. Analog-to-digital converters [1] are essential components in high-speed data acquisition systems [2]. They need a differential amplifier to drive their differential input. The use of an integrated fully differential amplifier for modern mixed-signal [3] processing applications can provide many advantages such as: (a) increased immunity to external noise, (b) suppressed noise from power supply, (c) increased output voltage swing [4,5] for a given voltage rail, which is ideal for low-voltage systems, and (d) reduced even-order harmonics. Thus, designing a power-efficient fully differential amplifier [6] that can drive a wide range of resistive and capacitive loads is very useful for today's battery-operated portable electronic equipment, e.g., for the Internet of Things (IoT) [7] applications. The conventional class-A [8] fully differential Miller op-amp has an asymmetric slew-rate (SR) and a current efficiency $CE = I_{outpk}/I_{totQ} < 0.5$, where I_{outpk} is the minimum of the positive and negative peak output currents: $I_{outpk} = \min\{I_{outpk}^+, I_{outpk}^-\}$. Most approaches to implement class AB output stages incorporate a floating battery between the gates of the output nMOS and pMOS transistors of a Miller op-amp. The popular class AB op-amps with floating batteries can be seen in [9,10]. A push-pull class AB op-amp [11–13] can be designed to drive both resistive and capacitive loads. However, the practical implementation of the

floating battery is challenging in today's sub-micron technology, where the supply voltage is a serious constraint. In order to maintain a well-defined constant output quiescent current, I_{outQ} independent on supply voltage, nominal component values, and technology parameter variations, the floating battery scheme requires an additional I_{outQ} control circuit. The control circuit can be complex and further increase the supply requirements and power dissipation, which can significantly lower the current efficiency.

In the proposed approach, an improved class-AB op-amp is implemented by utilizing a compact fully differential auxiliary amplifier instead of two floating batteries. This approach significantly improves the figures of merit of the op-amp over fully differential class AB Miller op-amps based on a floating battery implementation. The following section describes the scheme in detail. The op-amp's performance is measured and compared using conventional: (a) large-signal dynamic current efficiency figures of merit $FoM_{Dyn} = SR.C_L/P_Q$ [14,15], where SR is slew rate, P_Q is the quiescent power dissipation, and C_L is load capacitance; (b) small-signal figures of merit $FoM_{SS} = f_u.C_L/P_Q$ [14,16], where f_u is the unity gain frequency; (c) and authors introduce a new large-signal static current efficiency figures of merit $FoM_{stat} = I_{outp}^{RL}/I_{Qtotal}$.

2. Proposed Op-Amp

The proposed class-AB op-amp shown in Figure 1 is a fully differential operational amplifier that can drive a wide range of resistive and capacitive loads. The op-amp uses a high gain telescopic input stage to keep a high DC open-loop gain even for low-valued resistive loads (high resistive loading conditions) that degrade the gain of the output stage and push-pull class AB output stages. Conventional Miller compensation is used to achieve stability over a wide range of loading conditions. The main contribution of this paper is the utilization of a compact, fully differential auxiliary amplifier (AuxAmp) that is used to achieve power-efficient class AB operation and improved unity gain frequency f_u in the proposed op-amp. As discussed in detail below, this approach offers several advantages with respect to conventional class AB schemes: it generates signal voltages V_Y and V_{YP} that are amplified versions and in phase with V_X and V_{XP} . In order to have enough headroom for the auxiliary amplifier's input differential pair (M_4, M_{4P}), a floating battery V_{SB} is used to reduce the threshold voltage of M_4, M_{4P} . This floating battery is implemented using a diode-connected PMOS transistor with a minimal quiescent current, just like V_{BAT} in the input stage is used. In addition, M_4 and M_{4P} are scaled up by a factor of three. This is to reduce their drain-source saturation voltage V_{DSSat} . A resistive local common-mode feedback (RLCMFB) network is used as a load in order to obtain moderate gain A_{Aux} from the AuxAmp. The non-inverting gain of the auxiliary amplifier is given approximately by $A_{Aux} = (V_Y - V_{YP})/V_X = (V_{YP} - V_Y)/V_{XP} = g_{m4,4P}R_{CMF}/2$. The AuxAmp increases the overall open-loop gain, the unity-gain frequency, and significantly the peak negative output currents and slew-rate of the op-amp. This AuxAmp also assists the proposed op-amp in maintaining an accurate output quiescent current I_{outQ} minimizing the effect of temperature, supply voltage variations, and technology parameter variations on I_{outQ} . The quiescent gate voltages V_Y, V_{YP} of transistors $M_{ON,ONP}$ control the quiescent output current I_{outQ} . Under quiescent conditions, no current flows in resistors R_{CMF} , and the gate-source voltage of $M_{ON,ONP}$ is $V_Y = V_{YP} = V_{GS5P,5Q}$, independent of the value of R_{CMF} that sets the gain A_{Aux} . The AuxAmp consumes only 6% of the total op-amp quiescent current, which helps to keep the op-amp's current efficiency high.

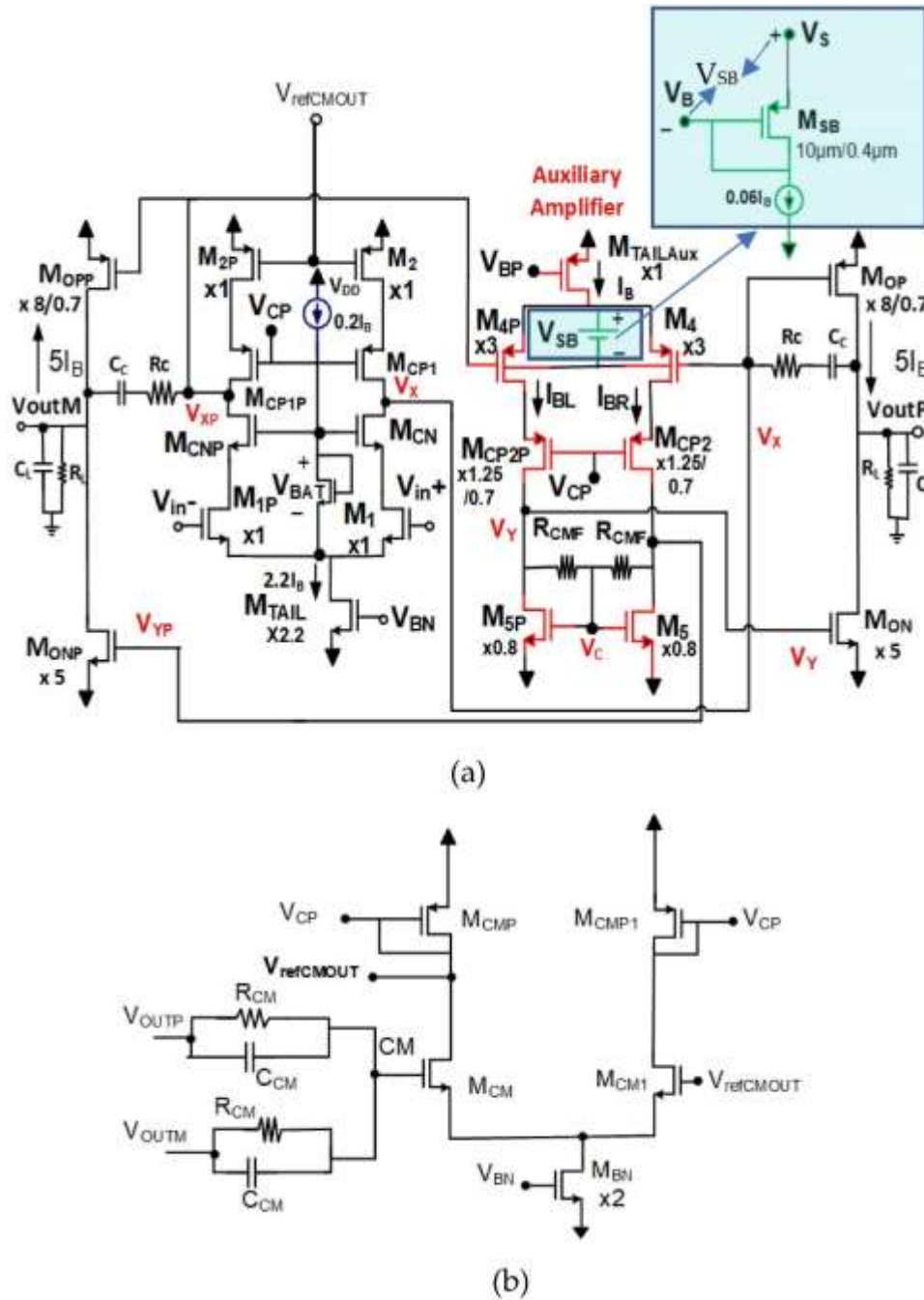


Figure 1. (a) Proposed fully differential op-amp. (b) Common-mode feedback network.

Operation

In the presence of positive input differential signals, the voltage at node V_X decreases and at V_{XP} increases, while the voltages at node V_Y decrease and at node V_{YP} increase by a factor A_{Aux} . As a result, M_{OP} will provide a large output positive current and M_{ONP} a large negative output current. The drain currents of M_{ON} , M_{OPP} will decrease and eventually reach zero. Similarly, M_{ON} can provide large negative output currents for negative input signals, and M_{OPP} can provide large positive output currents as the voltage at V_{XP} decreases. In the conventional floating battery scheme where variations V_X , V_{XP} are transferred directly to V_Y , V_{YP} , the maximum negative output current is limited by the relatively small positive excursion of V_X , V_{XP} transferred to V_Y , V_{YP} . In the proposed scheme, the gain A_{Aux} increases significantly the excursion of V_Y , V_{YP} and

the peak negative output current. A_{Aux} also increases the open-loop gain, common-mode rejection ratio (CMRR), power supply rejection ratio (PSRR), and unity gain frequency of the op-amp.

Frequency Response

The gain of the telescopic input stage A_I is given by (1).

$$A_I = g_{m1}R_X = g_{m1} g_{mr_o^2}/2 \quad (1)$$

For simplicity, it is assumed that g_m and r_o are the transconductance gain and output resistance of all unit size NMOS and PMOS transistors, and R_X is resistance at nodes V_X , V_{XP} .

The single-ended gain of the auxiliary amplifier is given by $A_{Aux} = (g_{m4,4P}R_{Y,YP})/2$. $R_{Y,YP}$ is the resistance at nodes V_Y and V_{YP} : where $R_Y = r_{o4P} \cdot g_{mCP2P} \cdot r_{oCP2P} || R_{CMF} || r_{o5P}$. The value of the R_{CMF} is selected in such a way so that $R_{CMF} \approx r_{o4P}, r_{oCP2P}, r_{o5P}$. As a result, R_Y can be approximated as $R_Y \approx R_{CMF}$. Thus, gain of the auxiliary amplifier can be expressed approximately by (2).

$$A_{Aux} \approx (g_{m4,4P}R_{CMF})/2 \quad (2)$$

The gain of the output stage is given by (3).

$$A_{out} = (g_{mOP} + A_{Aux}g_{mON})R_{out} \quad (3)$$

where R_{out} is $R_{out} = r_{oOP} || r_{oON} || R_L$. g_{mOP} and g_{mON} are transconductance gains of output transistors M_{OP} and M_{ON} .

Thus, the open-loop DC gain A_{OLDC} of the proposed op-amp is expressed by (4).

$$A_{OLDC} = A_I A_{out} = (g_{m1}r_o)^2/2 \cdot g_{mouteff}R_{out} \quad (4)$$

where $g_{mouteff} = g_{mOP} + A_{Aux}g_{mON}$.

The dominant pole is at node $V_{X,XP}$, and is given by (5).

$$f_{PDOMX} = 1/(2\pi R_X C_X) \quad (5)$$

Here, C_X is given by $C_X = (1 - (-A_{out}))C_C$.

The gain-bandwidth product (GBW) of the proposed op-amp is given by the expression (6).

$$\begin{aligned} GBW &= (A_I A_{out}) \frac{1}{2\pi R_X (1+A_{out})C_C} \\ &= (g_{m1} A_{out}) \frac{1}{2\pi (1+A_{out})C_C} \end{aligned} \quad (6)$$

A_{out} is strongly dependent on R_L . For very low R_L values, it can even take values $|A_{out}| < 1$. Besides the dominant pole, the proposed op-amp has two pairs of high-frequency poles: one at V_Y (V_{YP}) and another at V_{outP} (V_{outM}). The output high-frequency pole f_{Pout} is given in (7).

$$f_{Pout} = (g_{mOP} + A_{Aux}g_{mON} + G_L)/(2\pi C_L) \quad (7)$$

In the proposed op-amp, the auxiliary amplifier causes f_{Pout} to be higher than output pole frequency f_{Pout_conv} of the conventional op-amp shown in Figure 2. The high-frequency output pole of the conventional op-amp of Figure 2 is given in (8).

$$f_{Pout_conv} = (g_{mOP_conv} + G_L)/2\pi C_L \quad (8)$$

where g_{mOP_conv} is the transconductance gain of the output PMOS transistor of the conventional op-amp. The value of f_{Pout} of the proposed op-amp for $C_L = 300$ pF and $R_L = 1$ M Ω

is 6 MHz, whereas the output pole frequency for the conventional-A op-amp $f_{\text{Pout_conv}}$ is only 687 kHz for a similar loading condition.

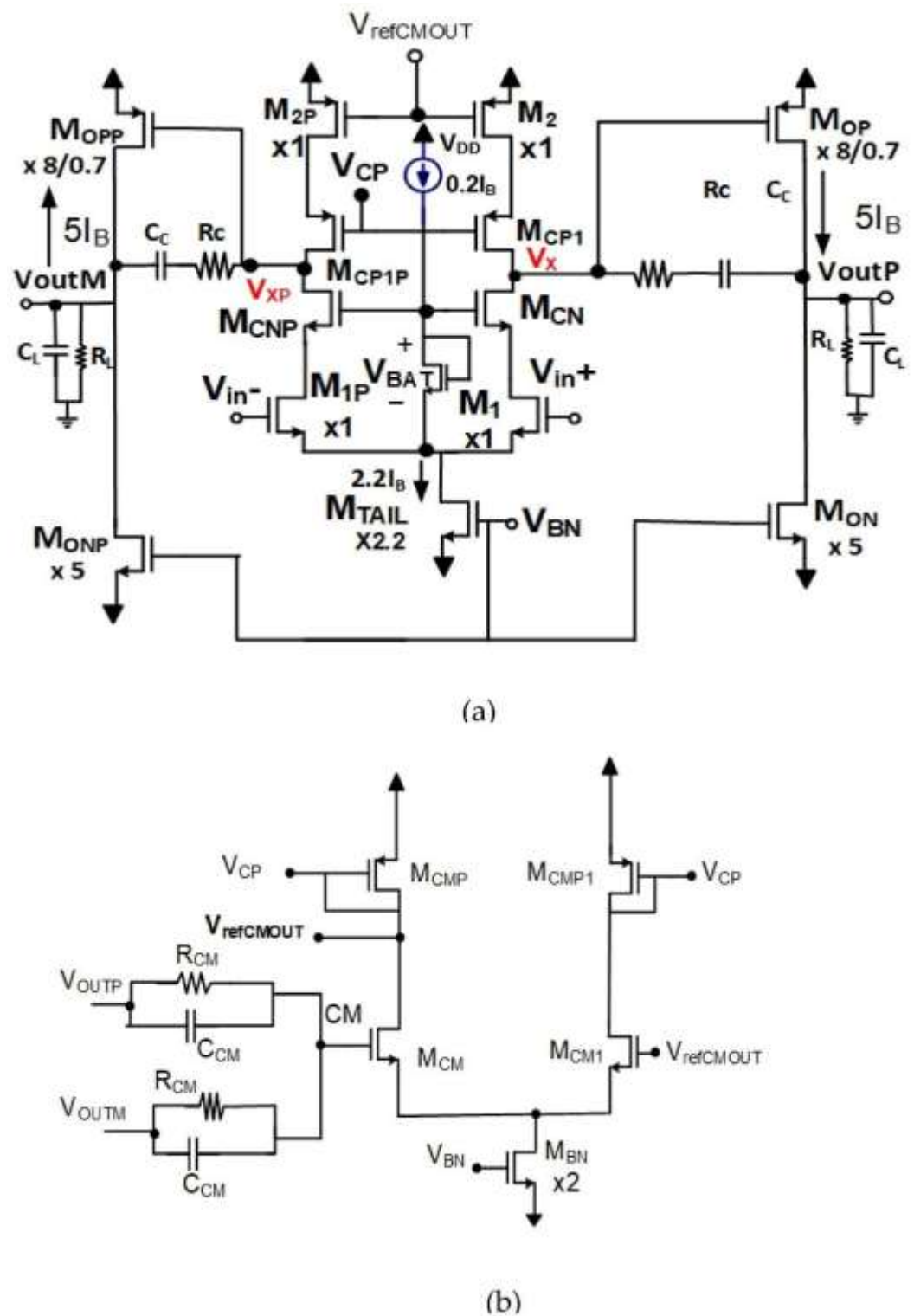


Figure 2. (a) Conventional Class-A amplifier. **(b)** Common-mode feedback network.

It can be seen that the auxiliary amplifier in the proposed op-amp shifts the output pole to a higher frequency. Consequently, a higher unity gain frequency can be obtained in the proposed op-amp.

The pole at nodes V_Y , V_{YP} is expressed by (9).

$$f_{PY} = 1/(2\pi R_{CMF} C_Y) \quad (9)$$

Here, C_Y is given by $C_Y \approx C_{gsON} + C_{dBCP2P} + C_{dB5P} + C_{gdON}(1 + (A_{out}/A_{VY})) + C_{gd5P}$.

From (9), it can be said that the location of the poles (f_{PY}) at node $V_{Y,YP}$ depends on the value of R_{CMF} . The high-frequency pole f_{PY} is inversely proportional to the value of R_{CMF} , i.e., $f_{PY} \propto 1/R_{CMF}$. Again from (2), it can be seen that the gain of the auxiliary amplifier depends on the value of R_{CMF} , i.e., $A_{Aux} \propto R_{CMF}$. Thus, the selection of R_{CMF} plays an essential role in determining the stability, overall open-loop gain, and slew-rate improvement of the proposed op-amp as the gain of the auxiliary control of the dynamic current of $M_{ON,ONP}$. In the proposed circuit, the value of the R_{CMF} is 60 k Ω . This selection of R_{CMF} helps to place f_{PY} at a higher frequency than the unity gain frequency of the op-amp. The higher value of f_{PY} helps achieve approximately constant gain from the auxiliary amplifier until the proposed op-amp's unity gain frequency. The value of the f_{PY} in the proposed op-amp is 29 MHz, which is twice larger than the unity gain frequency of the proposed op-amp.

The zero is given by (10).

$$f_z = 1/2\pi C_C R_C - (g_{mOP} + A_{Aux} g_{mON})^{-1} \quad (10)$$

3. Results

The proposed and conventional class-A (Conv-A) op-amps are simulated with Cadence using TSMC 180 nm CMOS technology parameters. For a fair comparison, equal unit size pMOS and nMOS transistors with $W/L = 10 \mu\text{m}/0.4 \mu\text{m}$ are used in both op-amps. The output nMOS and pMOS transistors are scaled up by the factors 5/1 and 8/0.7 with respect to unit size transistors. The value of the compensation capacitor is 3 pF for both op-amps. The only difference between the proposed and Conv-A op-amp is that the Conv-A op-amp does not have the auxiliary amplifier, which only increases power dissipation by 6%. The schematic diagram of the Conv-A amplifier is given in Figure 2. The value of the R_{CMF} used in the auxiliary amplifier of the proposed op-amp is 60 k Ω . The values of R_C in the proposed op-amp are 200 Ω and 6 k Ω for the capacitive loads $C_L = 5 \text{ pF}$ and 300 pF, respectively. For the fixed C_L , the selected compensation network can drive R_L values from 1 M Ω to 200 Ω , whereas in the conventional op-amp for a similar capacitive load $C_L = 300 \text{ pF}$ and 5 pF, the values of R_C are 18 k Ω and 500 Ω . A bias current $I_B = 17 \mu\text{A}$, dual supply voltages $V_{DD} = 900 \text{ mV}$, $V_{SS} = -900 \text{ mV}$, and a reference common-mode output voltage $V_{refCM} = 0 \text{ V}$ are used for the simulations of both op-amps. Figures 3 and 4 show open-loop frequency responses of the Conv-A and the proposed op-amps. It can be seen from the responses that both op-amps are stable for the wide range of capacitive (5 pF–300 pF) and resistive load (200 Ω –1 M Ω). However, the proposed op-amp's gain is higher and varies from 116.4 dB to 74.5 dB for R_L , changing from 1 M Ω to 200 Ω . For similar loading conditions, the Conv-A op-amp has the gain that varies from 96.8 dB to 57.2 dB. The proposed op-amp achieves a higher gain because of the auxiliary amplifier.

The transient response of the proposed op-amp was simulated using the unity gain closed loop inverting amplifier configuration, shown in Figure 5. Equal R_{in} and R_f values of 100 k Ω were used in the simulation. Figure 6 shows the transient response of the proposed and Conv-A op-amps in unity gain inverting configuration for a 1 MHz $\pm 400 \text{ mVpp}$ pulse input, with $C_L = 300 \text{ pF}$ and two resistive load values $R_L = 200 \Omega$ and 1 M Ω . From the pulse response, it can be seen that the Conv-A op-amp cannot follow the input pulse, whereas the proposed op-amp can follow the input for all the considered loading conditions. The proposed op-amp has a slew rate of 13 V/ μs , whereas the Conv-A op-amp has a much lower slew rate of 0.9 V/ μs . The proposed op-amp can provide $\pm 4.36 \text{ mA}$ peak currents to a 300 pF capacitor. On the contrary, the Conv-A op-amp can provide only 58 μA peak negative output currents, which corresponds to the class-A op-amp's output quiescent

current (I_{outQ}). Figure 7 shows the single-ended output currents of both op-amps in the $200\ \Omega$ resistive load for $\pm 400\text{ mV}$ pulse input. It can be seen that due to the substantial limitation of the negative current in the Conv-A op-amp, the outputs cannot follow the negative excursion of the input pulse. As a result, the op-amp cannot provide differential complementary output signals. It can be seen that the peak negative current is $-58\ \mu\text{A}$. On the other hand, the proposed op-amp can provide complementary output signals with equal positive and negative output currents of $\pm 1\text{ mA}$ in the $200\ \Omega$ resistive loads for the $\pm 200\text{ mV}$ pulse input.

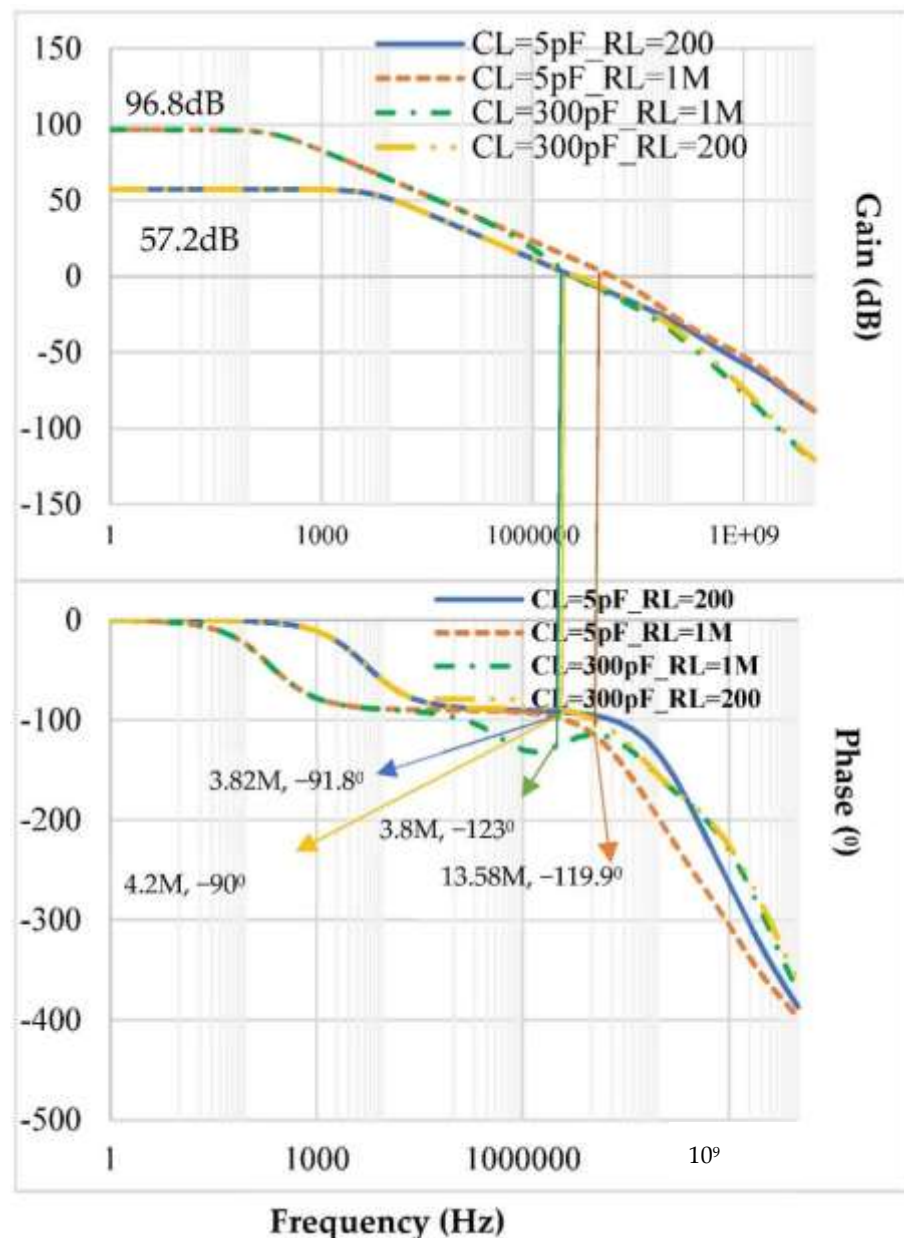


Figure 3. Frequency response of Conv-A op-amp.

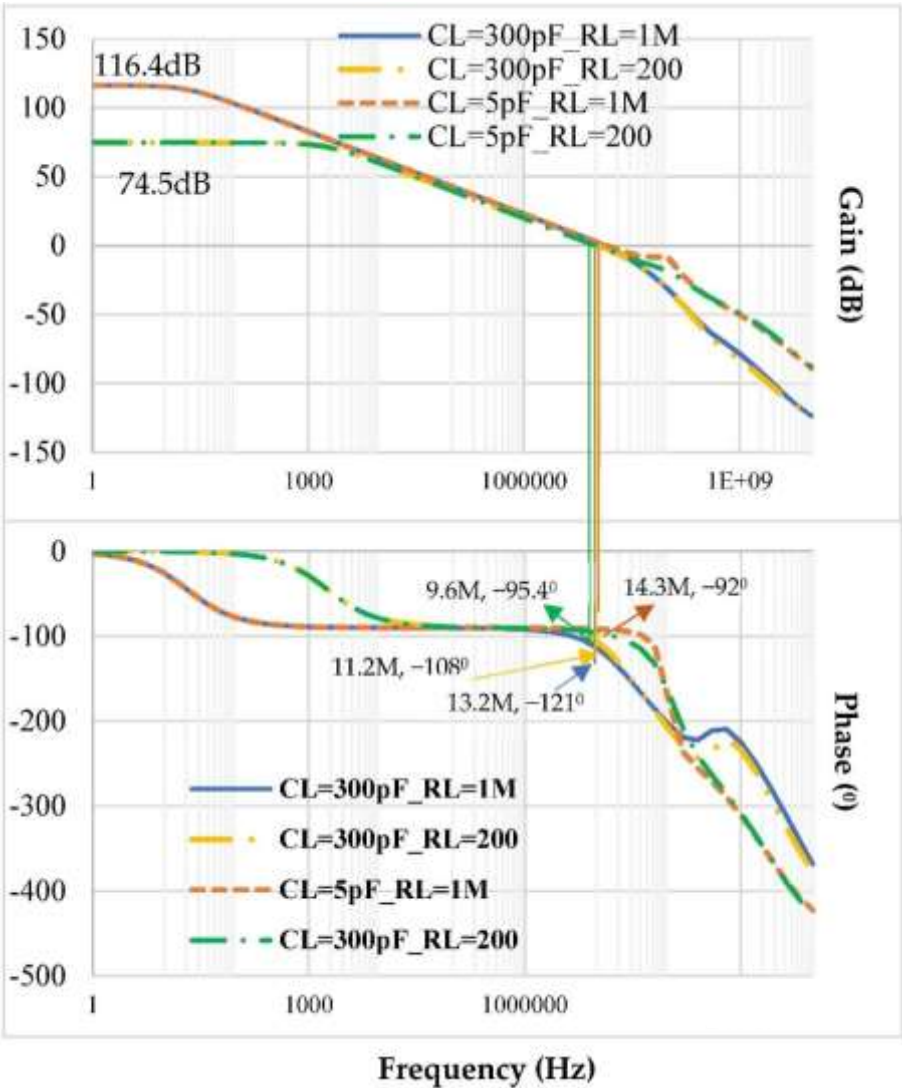


Figure 4. Frequency response of proposed op-amp.

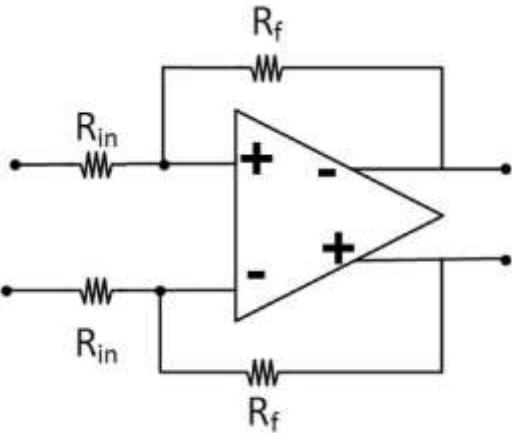


Figure 5. Unity gain inverting fully differential amplifier.

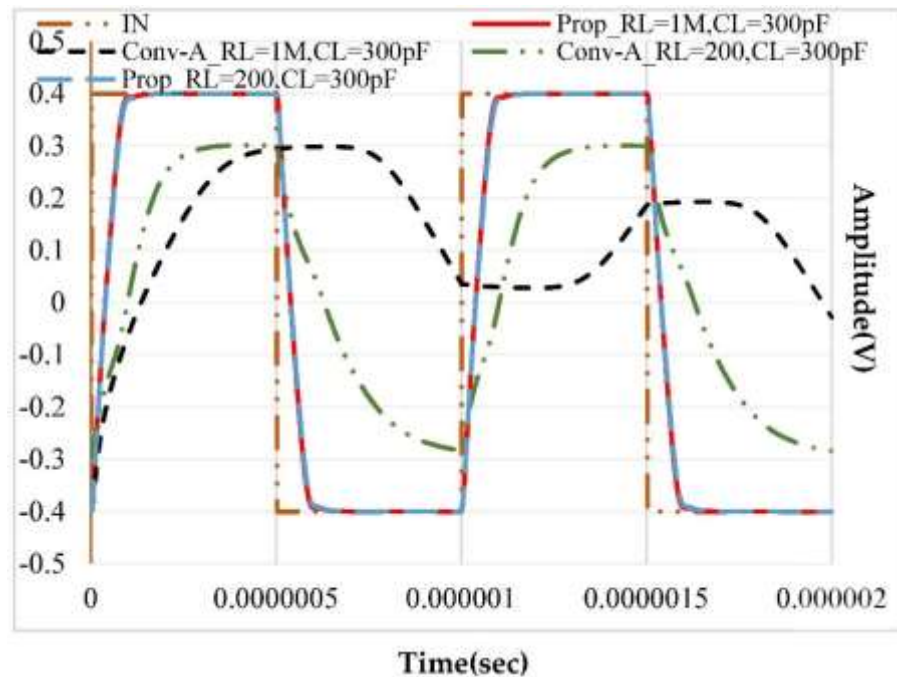


Figure 6. Pulse response of the proposed and conventional op-amp, $C_L = 300$ pF and $R_L = 1$ M Ω and 200 Ω .

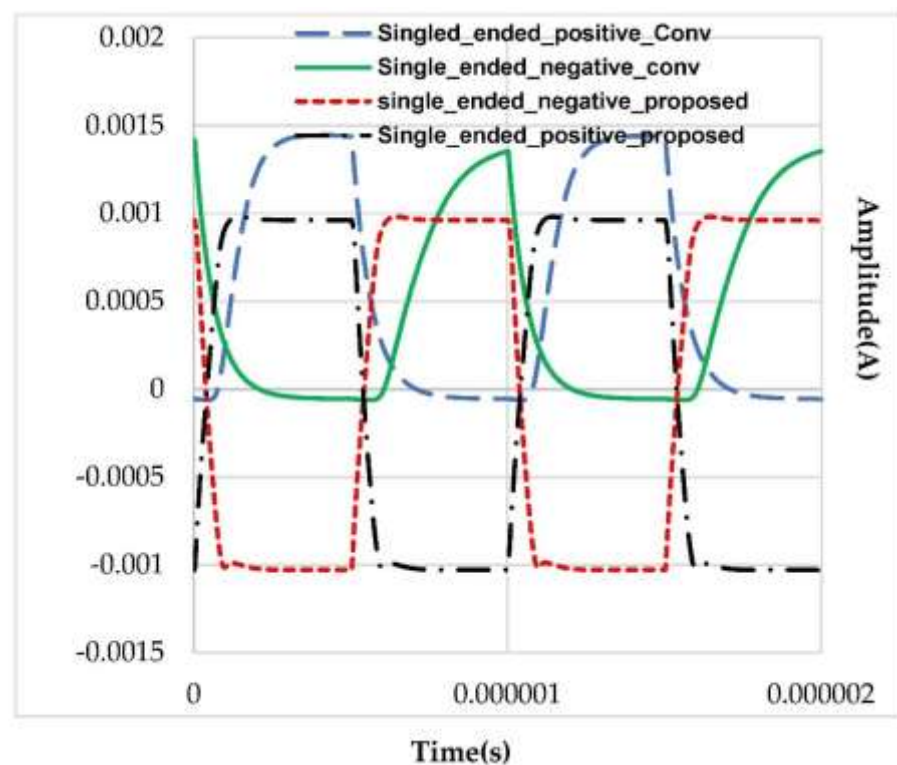


Figure 7. Single-ended transient current in $R_L = 200$ Ω of the proposed and Conv-A op-amp for ± 400 mV pulse input.

Figure 8 shows the output current of the proposed and Conv-A op-amp for $C_L = 300$ pF, 5 pF, and $R_L = 1$ M Ω for the ± 400 mVpp 1 MHz pulse input. The proposed op-amp can provide ± 36 mA peak currents to 300 pF load capacitors. On the contrary, the Conv-A op-amp can provide only 58 μ A negative output, which corresponds to the class-A op-

amp's output quiescent current (I_{outQ}). Figure 9 shows the total harmonic distortion of the proposed and Conv-A op-amp for a 400 mV amplitude sinusoidal signal whose frequency is varied from 1 kHz to 8 MHz. It can be seen that the proposed op-amp has much lower (35 dB) harmonic distortion than the Conv-A op-amp.

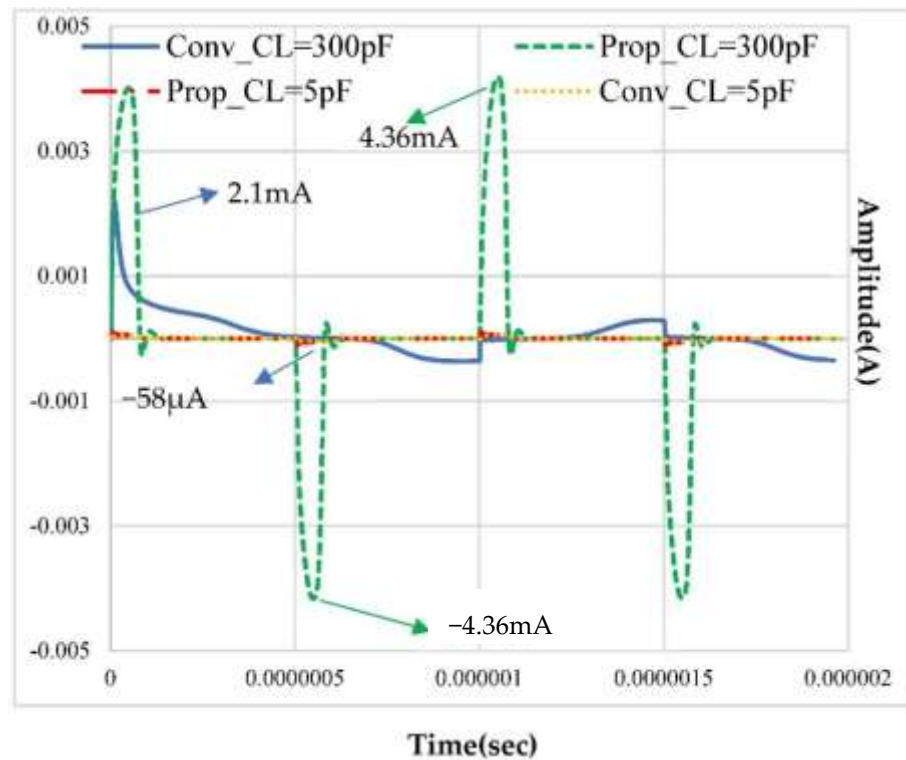


Figure 8. Output current of the proposed and conventional op-amp for $C_L = 300$ pF, 5 pF and $R_L = 1$ M Ω for the ± 400 mVpp, 1 MHz pulse input.

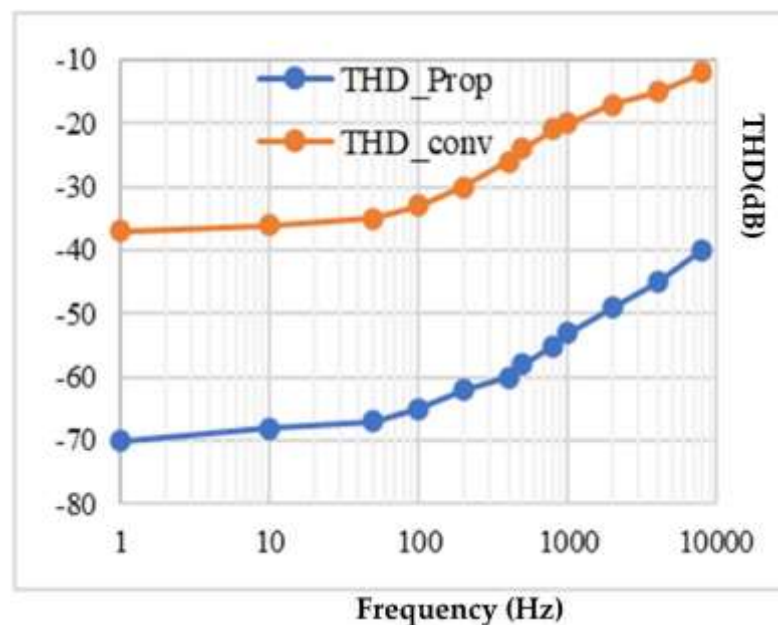


Figure 9. THD of the proposed op-amp at different frequencies for 400 mV amplitude sinusoidal signal and $R_L = 200$ Ω , $C_L = 300$ pF.

The proposed op-amp has close to rail-to-rail output swing from -1.69 V to 1.69 V for a $\pm 1.7\text{ V}$, 0.5 MHz triangular input signal. It can be seen in Figure 10. Tables 1–3 show the corner analysis of the proposed op-amp at different temperatures. It can be asserted that the proposed op-amp is robust against the variation of process technology and temperature. The standard deviation (Std.) for each parameter at different corners is calculated for each considered temperature and given in the table. The common-mode rejection ratios (CMRRs) and power supply rejection ratios (PSRRs) are measured, including 2% typical mismatches between the differential pair transistors in both op-amps. The positive and negative PSRRs are 95 dB and 92 dB . The CMRR of the proposed op-amp is 96 dB . Table 4 shows comprehensive simulation results of the proposed op-amp and comparisons of the performance with state-of-the-art works. The proposed op-amp has the highest static and dynamic current efficiency figures of merit.

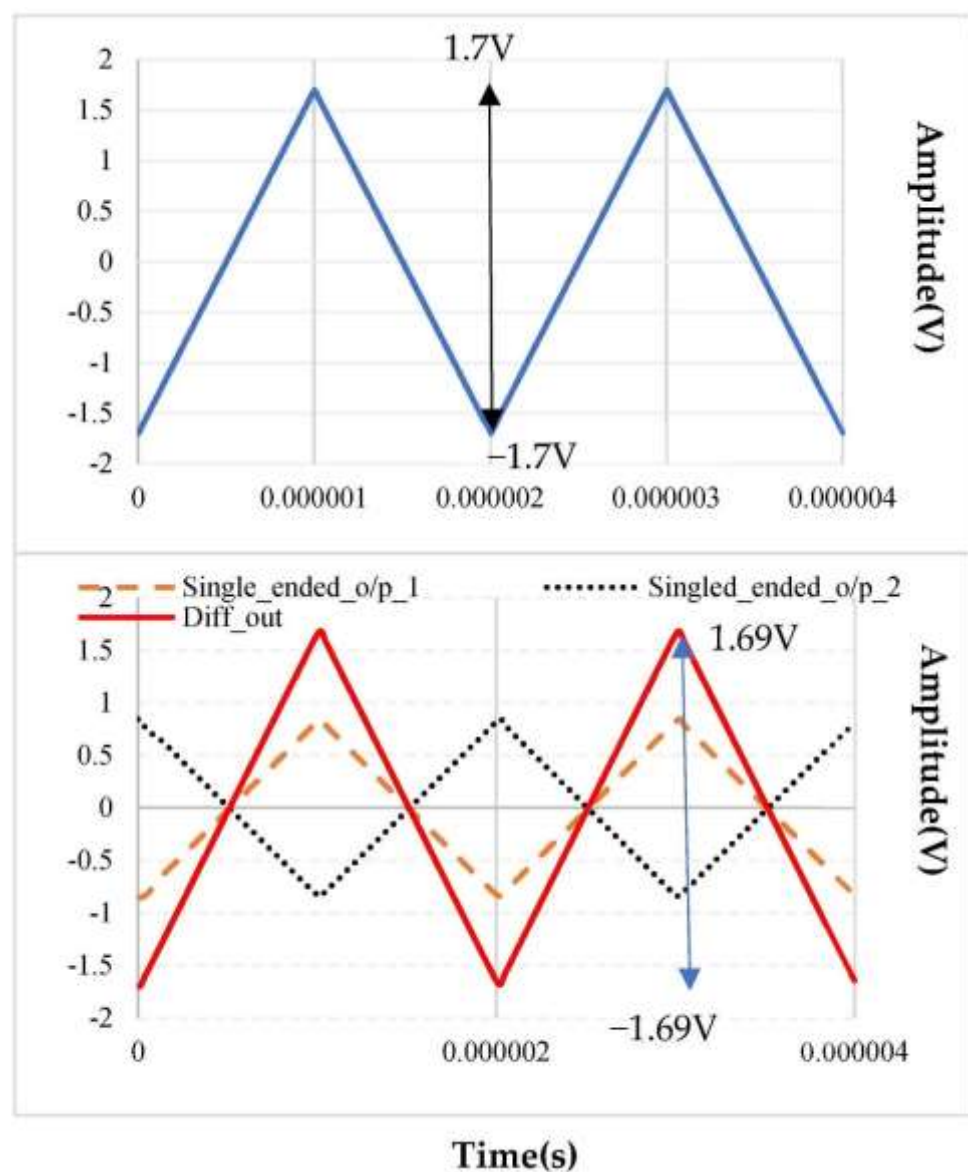


Figure 10. Determination of close to rail-to rail output swing using a $\pm 1.7\text{ V}$, 0.5 MHz , triangular input signal.

Table 1. Corner analysis of op-amp at $T = -20\text{ }^{\circ}\text{C}$.

Corner	tt	ff	fs	sf	ss	Std.
$I_{\text{TotalQ}} (\mu\text{A})$	253	251	250	249	247	2
$f_u (\text{MHz})$ @ $R_L = 1\text{ M}\Omega$	15.5	16.9	15.2	14	13.5	1.19
PM ($^{\circ}$) @ $R_L = 1\text{ M}\Omega$	59	56	56	62	63	2.92
Gain	117.9	114	117.6	118	117	1.5
SR (V/ μs)	13	11	10	10	9	1.4
$I_{\text{outpk}}^{-} R_L = 200\text{ }\Omega$ (mA)	2	1.9	1.9	2	2	0.05

Table 2. Corner analysis of op-amp at $T = 27\text{ }^{\circ}\text{C}$.

Corner	tt	ff	fs	sf	ss	Std.
$I_{\text{TotalQ}} (\mu\text{A})$	253	252	250	252	255	1.62
$f_u (\text{MHz})$ @ $R_L = 1\text{ M}\Omega$	13.4	14.5	13	13.2	12	0.8
PM ($^{\circ}$) @ $R_L = 1\text{ M}\Omega$	59	58	61	60	60	1.01
Gain (dB)	116.4	110	113	114.2	120	3.35
SR (V/ μs)	13	12	11	12	14	1.01
$I_{\text{outpk}}^{-} R_L = 200\text{ }\Omega$ (mA)	2	1.9	2	2	2	0.04

Table 3. Corner analysis of op-amp at $T = 120\text{ }^{\circ}\text{C}$.

Corner	tt	ff	fs	sf	ss	Std.
$I_{\text{TotalQ}} (\mu\text{A})$	251	259	251	252	255	3.07
$f_u (\text{MHz})$ @ $R_L = 1\text{ M}\Omega$	9.5	9.4	9.5	10	9.2	0.26
PM ($^{\circ}$) @ $R_L = 1\text{ M}\Omega$	58	58	58	57	59	0.63
Gain (dB)	100	95	111	110	117	7.9
SR (V/ μs)	11	14	11	12	15	1.62
$I_{\text{outpk}}^{-} R_L = 200\text{ }\Omega$ (mA)	2	1.8	1.9	2	2	0.08

Table 4. Summary of the simulated results and performance comparison.

Parameter (Units)	Proposed	Conv-A	[17]	[18]	[19]	[20]	[21]
Inversion Level	SI	SI	SI	SI	SI	SI	SB
CMOS Process (μm)	0.18	0.18	0.18	0.18	0.18	0.35	0.18
Supply Voltage (V)	± 0.9	± 0.9	1.8	1.8	1.8	3.3	± 300
Capacitive Load (pF)	5–300	5–300	10	1	100	25	10

Table 4. *Cont.*

Parameter (Units)	Proposed	Conv-A	[17]	[18]	[19]	[20]	[21]
Resistive Load (Ω)	1 M/200	1 M/200	-	-	-	500	-
SR ($V/\mu s$)	13	0.9	17.83	650	63	248.6	8.4
DC Gain (dB)	116.4/74.5	96.8/57.4	73	85.6	84	69.5	42.2
PM ($^\circ$)	59/82 @ $C_L = 300$ pF, $R_L = 1$ M Ω / @ $C_L = 300$ pF, $R_L = 200$ Ω	57/90	64	66.7	77	69.65	54
f_u (MHz)	13.32/11.21	3.88/4.2	15	987	91	354	16.1
CMRR @DC (dB)	96	90	80	80	-	45	85.12
PSRR+ @DC (dB)	95	87	78	78	-	27.5	53.25
PSRR-@DC (dB)	92	85	-	-	-	-	56.89
$I_{outpk} + R_L$ (μA)	2000 @200 Ω	1500 @200 Ω	-	-	-	2000 @500 Ω	-
$I_{outpk} - R_L = 200$ Ω (μA)	2000	1500	-	-	-	0	-
I_{totQ} (μA)	253	182	239	1000	1722	8042	41.3
Power (μW)	455	327.6	429.68	1800	3100	26,540	24.8
input referred noise	317@1 kHz nV/ \sqrt{Hz}	330@1 KHz nV/ \sqrt{Hz}	84@100 kHz nV/ \sqrt{Hz}	118 μV_{rms} (1 Hz-100 MHz)	340@100 kHz nV/ \sqrt{Hz}	35.52 @100 kHz	69@1 MHz
FOM_{CEDyn} (V.pF/$\mu s.\mu W$)	8.6	0.82	0.41	0.4	2	0.23	3.39
FOM_{SS} (MHz.pF/μW)	8.7/7.3	3.5/3.8	0.35	0.5	2.9	0.33	6.49
FOM_{CEStat} ($\mu A/\mu W$)	7.9	-	-	-	-	0.08	-

4. Conclusions

The suggested completely differential op-amp can drive a variety of capacitive (5-300 pF) and resistive (200 -1 M) loads. In the op-amp, a small auxiliary amplifier is employed. This boosts the op-unity amp's gain frequency, greatly boosting the peak negative output current, and sets a well-controlled output quiescent current. The suggested op-amp offers excellent large- and small-signal figures of merit in addition to good dynamic and static current efficiency. The suggested op-amp is very power-efficient since the auxiliary amplifier only uses 6% of the overall op-amp current.

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